

## Lecture Presentation

## Chemical Tools: Experimentation and Measurement

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The Scientific Method: Improved Pharmaceutical Insulin

- Comparing insulin profiles
- Natural insulin release
- Injected insulin
- An early spike means potential for low blood sugar later.
- Humalog ${ }^{\circledR}$, designed to mimic the body's natural release profile


## The Scientific Method

- Observations
- Recording qualitative or quantitative data
- Hypothesis
- Explanation of observations
- Experiments
- Change one variable at a time
- Test hypothesis
- Theory
- Explains experiment
- Predicts further outcome


## Experimentation and Measurement

## Système Internationale d'Unités

TABLE 1.1 The Seven Fundamental SI Units of Measure

| Physical Quantity | Name of Unit | Abbreviation |
| :--- | :--- | :--- |
| Mass | kilogram | kg |
| Length | meter | m |
| Temperature | kelvin | K |
| Amount of substance | mole | mol |
| Time | second | s |
| Electric current | ampere | A |
| Luminous intensity | candela | cd |

All other units are derived from these fundamental units.

TABLE 1.2 Some Prefixes for Multiples of SI Units. The most commonly used prefixes are shown in red.

| Factor | Prefix | Symbol | Example |
| :--- | :--- | :--- | :--- |
| $1,000,000,000,000=10^{12}$ | tera | T | 1 teragram $(\mathrm{Tg})=10^{12} \mathrm{~g}$ |
| $1,000,000,000=10^{9}$ | giga | G | 1 gigameter $(\mathrm{Gm})=10^{9} \mathrm{~m}$ |
| $1,000,000=10^{6}$ | mega | M | 1 megameter $(\mathrm{Mm})=10^{6} \mathrm{~m}$ |
| $1000=10^{3}$ | kilo | k | 1 kilogram $(\mathrm{kg})=10^{3} \mathrm{~g}$ |
| $100=10^{2}$ | hecto | h | 1 hectogram $(\mathrm{hg})=100 \mathrm{~g}$ |
| $10=10^{1}$ | deka | da | 1 dekagram $(\mathrm{dag})=10 \mathrm{~g}$ |
|  |  | d |  |
| $0.1=10^{-1}$ | deci | c | 1 decimeter $(\mathrm{dm})=0.1 \mathrm{~m}$ |
| $0.01=10^{-2}$ | centi | m | 1 centimeter $(\mathrm{cm})=0.01 \mathrm{~m}$ |
| $0.001=10^{-3}$ | milli | $\mu$ | 1 milligram $(\mathrm{mg})=0.001 \mathrm{~g}$ |
| ${ }^{*} 0.000001=10^{-6}$ | micro | n | 1 micrometer $(\mu \mathrm{m})=10^{-6} \mathrm{~m}$ |
| ${ }^{*} 0.000000001=10^{-9}$ | nano | p | 1 nanosecond $(\mathrm{ns})=10^{-9} \mathrm{~s}$ |
| ${ }^{*} 0.000000000001=10^{-12}$ | pico | f | 1 picosecond $(\mathrm{ps})=10^{-12} \mathrm{~s}$ |
| ${ }^{*} 0.000000000000001=10^{-15}$ | femto | 1 femtomole $(\mathrm{fmol})=10^{-15} \mathrm{~mol}$ |  |

*For very small numbers, it is becoming common in scientific work to leave a thin space every three digits to the right of the decimal point, analogous to the comma placed every three digits to the left of the decimal point in large numbers.

## Mass and Its Measurement

## Mass: Amount of matter in an object

Weight: Measures the force with which gravity pulls on an object


## Length and Its Measurement

## Meter

- 1790: One ten-millionth of the distance from the equator to the North Pole along a meridian running through Paris, France
- 1889: Distance between two thin lines on a bar of platinum-iridium alloy stored near Paris, France
- 1983: The distance light travels in a vacuum in $1 / 299,792,458$ of a second



## Temperature and Its Measurement

$$
\begin{aligned}
& { }^{\circ} \mathrm{F}=\left(\frac{9^{\circ} \mathrm{F}}{5^{\circ} \mathrm{C}}\right){ }^{\circ} \mathrm{C}+32{ }^{\circ} \mathrm{F} \\
& { }^{\circ} \mathrm{C}=\left(\frac{5^{\circ} \mathrm{C}}{9^{\circ} \mathrm{F}}\right)\left({ }^{\circ} \mathrm{F}-32^{\circ} \mathrm{F}\right)
\end{aligned}
$$

$$
\mathrm{K}={ }^{\circ} \mathrm{C}+273.15
$$

## Derived Units: Volume and Its Measurement

## TABLE 1.3 Some Derived Quantities

| Quantity | Definition | Derived Unit (Name) |
| :--- | :--- | :--- |
| Area | Length times length | $\mathrm{m}^{2}$ |
| Volume | Area times length | $\mathrm{m}^{3}$ |
| Density | Mass per unit volume | $\mathrm{kg} / \mathrm{m}^{3}$ |
| Speed | Distance per unit time | $\mathrm{m} / \mathrm{s}$ |
| Acceleration | Change in speed per unit time | $\mathrm{m} / \mathrm{s}^{2}$ |
| Force | Mass times acceleration | $(\mathrm{kg} \cdot \mathrm{m}) / \mathrm{s}^{2}($ newton, N$)$ |
| Pressure | Force per unit area | $\mathrm{kg} /\left(\mathrm{m} \cdot \mathrm{s}^{2}\right)($ pascal, Pa$)$ |
| Energy | Force times distance | $\left(\mathrm{kg} \cdot \mathrm{m}^{2}\right) / \mathrm{s}^{2}($ joule, J$)$ |



Each cubic meter contains 1000 cubic decimeters (liters).

$$
\begin{aligned}
1 \mathrm{~m}^{3} & =1000 \mathrm{dm}^{3} \\
1 \mathrm{dm}^{3} & =1 \mathrm{~L} \\
& =1000 \mathrm{~cm}^{3} \\
1 \mathrm{~cm}^{3} & =1 \mathrm{~mL}
\end{aligned}
$$

$$
1 \mathrm{dm}
$$


$1 \mathrm{dm}^{3}$
Each cubic decimeter contains 1000 cubic centimeters (milliliters).

## Derived Units: Volume and Its Measurement



## Derived Units: Density and Its Measurement

TABLE 1.4 Densities of Some Common Materials

| Substance | Density $\left(\mathrm{g} / \mathrm{cm}^{3}\right)$ |
| :--- | :--- |
| Ice $\left(0^{\circ} \mathrm{C}\right)$ | 0.917 |
| Water $\left(3.98^{\circ} \mathrm{C}\right)$ | 1.0000 |
| Gold | 19.31 |
| Helium $\left(25^{\circ} \mathrm{C}\right)$ | 0.000164 |
| Air $\left(25^{\circ} \mathrm{C}\right)$ | 0.001185 |
|  |  |
| Human fat | 0.94 |
| Human muscle | 1.06 |
| Cork | $0.22-0.26$ |
| Balsa wood | 0.12 |
| Earth | 5.54 |

Typical volume units $\left\{\begin{array}{l}\text { Solids: } \mathrm{cm}^{3} \\ \text { Liquids: } \mathrm{mL} \\ \text { Gases: } \mathrm{L}\end{array} \quad\right.$ Density $=\frac{\text { Mass }}{\text { Volume }}$

## Accuracy, Precision, and Significant Figures in Measurement

Accuracy: How close to the true value a given measurement is

## Precision: How well a number of independent measurements agree with each other

# Accuracy, Precision, and Significant Figures in Measurement 

## Mass of a Tennis Ball <br> (True mass = 54.441778 g )

| Measurement \# | Bathroom Scale | Lab Balance | Analytical Balance |
| :---: | :---: | :---: | :---: |
| 1 | 0.1 kg | 54.4 g | 54.4418 g |
| 2 | 0.0 kg | 54.5 g | 54.4417 g |
| 3 | 0.1 kg | 54.3 g | 54.4418 g |
| (average) | $(0.07 \mathrm{~kg})$ | $(54.4 \mathrm{~g})$ | $(54.4418 \mathrm{~g})$ |

good accuracy good precision

# Accuracy, Precision, and Significant Figures in Measurement 

## Mass of a Tennis Ball <br> (True mass = 54.441778 g )

| Measurement \# | Bathroom Scale | Lab Balance |
| :---: | :---: | :---: | Analytical Balance

good accuracy poor precision

# Accuracy, Precision, and Significant Figures in Measurement 

Mass of a Tennis Ball<br>(True mass =54.441 778 g)

| Measurement \# | Bathroom Scale | Lab Balance | Analytical Balance |
| :---: | :---: | :---: | :---: |
| 1 | 0.1 kg | 54.4 g | 54.4418 g |
| 2 | 0.0 kg | 54.5 g | 54.4417 g |
| 3 | 0.1 kg | 54.3 g | 54.4418 g |
| (average) | $(0.07 \mathrm{~kg})$ | $(54.4 \mathrm{~g})$ | $(54.4418 \mathrm{~g})$ |

poor accuracy
poor precision

# Accuracy, Precision, and Significant Figures in Measurement 

Significant Figures: The total number of digits recorded for a measurement

Generally, the last digit in a reported measurement is uncertain (estimated).

Exact numbers and relationships (7 days in a week, 30 students in a class, etc.) effectively have an infinite number of significant figures.

## Accuracy, Precision, and Significant Figures in Measurement

Rules for Counting Significant Figures (Left-to-Right):

1. Zeros in the middle of a number are like any other digit; they are always significant.

4.803 cm Four SFs

## Accuracy, Precision, and Significant Figures in Measurement

Rules for Counting Significant Figures (Left-to-Right):

1. Zeros in the middle of a number are like any other digit; they are always significant.
2. Zeros at the beginning of a number are not significant (placeholders).
0.00661 g Three SFs (or $6.61 \times 10^{-3} \mathrm{~g}$ )

## Accuracy, Precision, and Significant Figures in Measurement

Rules for Counting Significant Figures (Left-to-Right):

1. Zeros in the middle of a number are like any other digit; they are always significant.
2. Zeros at the beginning of a number are not significant (placeholders).
3. Zeros at the end of a number and after the decimal point are always significant.
55.220 K Five SFs

## Accuracy, Precision, and Significant Figures in Measurement

Rules for Counting Significant Figures (Left-to-Right):

1. Zeros in the middle of a number are like any other digit; they are always significant.
2. Zeros at the beginning of a number are not significant (placeholders).
3. Zeros at the end of a number and after the decimal point are always significant.
4. Zeros at the end of a number and before the decimal point may or may not be significant.

$$
34,200 \mathrm{~m} \quad ? \mathrm{SFs}
$$

## Rounding Numbers

## Math Rules for Keeping Track of Significant Figures:

- Multiplication or Division: The answer can't have more significant figures than any of the original numbers.

$$
\begin{aligned}
& \text { Three SFs } \begin{aligned}
-\frac{278 \mathrm{mi}}{11.70 \mathrm{gal}} & =23.760684 \mathrm{mi} / \mathrm{gal} \\
& =23.8 \mathrm{mi} / \mathrm{gal} \\
&
\end{aligned} \\
& \text { Three SFs }
\end{aligned}
$$

## Rounding Numbers

Math Rules for Keeping Track of Significant Figures:

- Multiplication or Division: The answer can't have more significant figures than any of the original numbers.
- Addition or Subtraction: The answer can't have more digits to the right of the decimal point than any of the original numbers.

$$
\begin{aligned}
& 3.18 \longrightarrow \text { Two decimal places } \\
& +0.01315 \longrightarrow \text { Five decimal places } \\
& 3.19315 \\
& 3.19 \longrightarrow \text { Two decimal places }
\end{aligned}
$$

## Rounding Numbers

Rules for Rounding off Numbers:

1. If the first digit you remove is less than 5 , round down by dropping it and all following numbers.
$5.664525=5.66$

## Rounding Numbers

Rules for Rounding off Numbers:

1. If the first digit you remove is less than 5 , round down by dropping it and all following numbers.
2. If the first digit you remove is 6 or greater, round up by adding 1 to the digit on the left.
$5.664525=5.7$

## Rounding Numbers

Rules for Rounding off Numbers:

1. If the first digit you remove is less than 5 , round down by dropping it and all following numbers.
2. If the first digit you remove is 6 or greater, round up by adding 1 to the digit on the left.
3. If the first digit you remove is 5 and there are more nonzero digits following, round up.
$5.664525=5.665$

## Rounding Numbers

## Rules for Rounding off Numbers:

1. If the first digit you remove is less than 5 , round down by dropping it and all following numbers.
2. If the first digit you remove is 6 or greater, round up by adding 1 to the digit on the left.
3. If the first digit you remove is 5 and there are more nonzero digits following, round up.
4. If the digit you remove is a 5 with nothing following, round down.
$5.664525=5.66452$

# Calculations: Converting from One Unit to Another 

Dimensional Analysis: A method that uses a conversion factor to convert a quantity expressed in one unit to an equivalent quantity in a different unit

Conversion Factor: Expresses the relationship between two different units

Original quantity $\times$ Conversion factor $=$ Equivalent quantity

## Calculations: Converting from One Unit to Another

Relationship: $1 \mathrm{~m}=39.37 \mathrm{in}$.

## Conversion Factor: $\frac{1 \mathrm{~m}}{39.37 \mathrm{in} .}$ or $\frac{39.37 \mathrm{in} .}{1 \mathrm{~m}}$

Converts
in. to $m$

## Calculations: Converting from One Unit to Another

69.5 in. $\times \frac{1 \mathrm{~m}}{39.37 \mathrm{~m} .}=1.77 \mathrm{~m}$<br>Starting quantity<br>Equivalent quantity<br>Conversion factor

